

Agenda

1. INTRO TO NETWORK
ANALYSIS

2. THE METHODS USED

3. DATA AND
PERFORMANCE

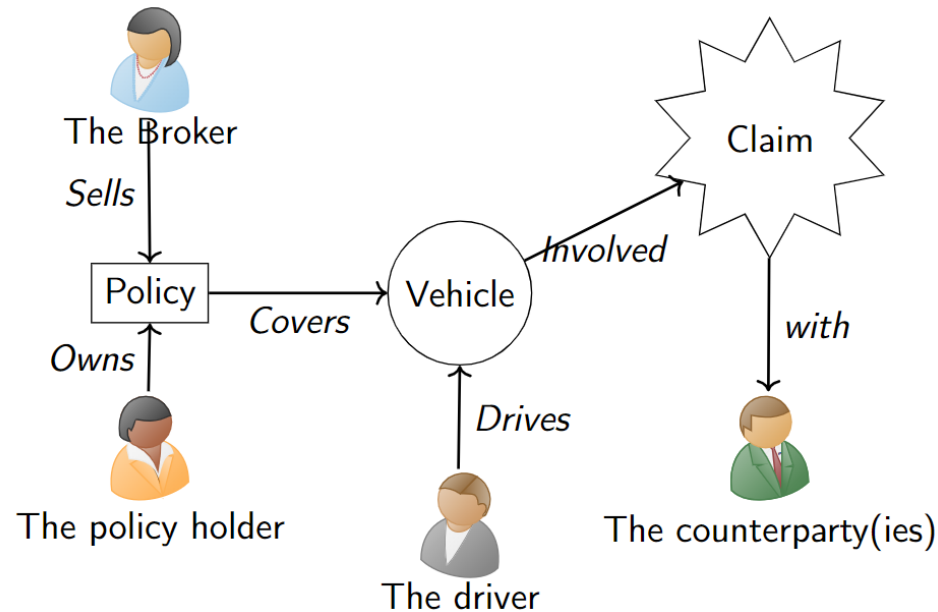
4. THE RESULTS

INTRO TO NETWORK ANALYSIS

01

THE NEED FOR NETWORK ANALYSIS

- Networks are a **natural representation** of many real-world phenomena
- Many **actuarial problems** can be formulated with networks, with applications in:
 - Pricing
 - Reserving
 - Fraud detection

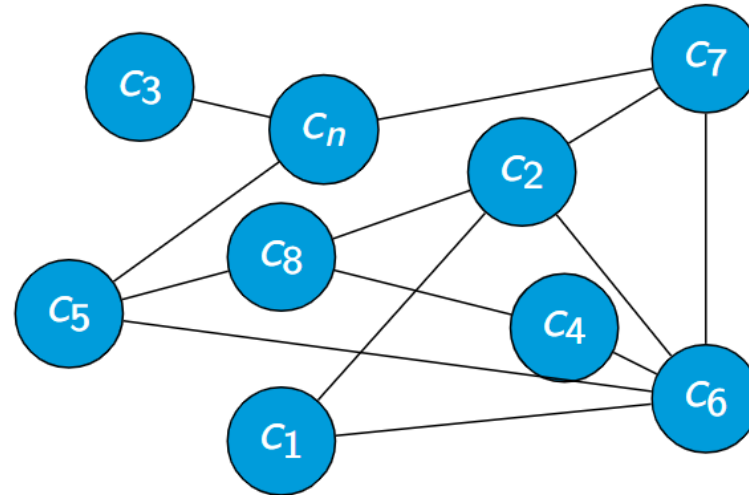


THE NEED FOR NETWORK ANALYSIS IN FRAUD DETECTION

- Fraud detection done in two ways
 - Rule-based
 - Via machine learning
- Fraudsters **adapt** to this
 - Cover their tracks
 - New fraud methods
 - Avoid business rules, and ML models trained on **historical data**
- Use of network to uncover otherwise **hidden relations**
 - Much harder to blend in

THE DIFFICULTIES WITH NETWORKS

- Data used in actuarial problems often comes in **tabular** format
 - Machine learning methods are tailored to that
- Networks keep changing their structure
 - Not clear how to capture this as a table
 - Need to have **as much network information as possible** in tabular format



NETWORK EMBEDDING

- Definition:
 - Given network $G(V, E)$. Let $d \geq 1$ be the dimensionality of the node/network embedding. A node embedding function $f: V \rightarrow \mathbb{R}^d$ is a map that maps **each node** $v \in V$ to a **real-valued feature vector** in $\mathbb{R}^d$, where $d \ll |V|$.
- Intuitively:
 - Translate network into latent Euclidean space (table)
 - Capture as much network information in **only a few features**

GENERAL POINTS OF ATTACK

- Need for network embeddings is clear
- Main questions remain
 - Does network information **improve** the **model**?
 - Does network information lead to **novel insights**?
- Done in via two approaches
 - Model performance metrics
 - Complementarity of the results

THE
METHODS
USED

02

THE DIFFERENT MODELS

- Construct different models
 - Start with a **base-line** model with only **intrinsic** features
 - Based on **gradient boosting** classifier from sklearn (Python)
- Add **different network features** and embeddings to original features
 - Basic network features
 - BiRank (guilt-by-association)
 - Metapath2Vec (shallow representation learning)
 - GraphSAGE (deep representation learning: graph neural network)

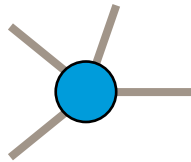
BASIC NETWORK FEATURES

- Can be **directly extracted** from the network
 - Based on neighbourhood and paths
- Highly interpretable
 - Capture the **importance** of the nodes
- We base us on the following
 - Degree
 - Betweenness centrality
 - Geodesic distance to itself
 - Number of cycles

OVERVIEW BASIC NETWORK FEATURES

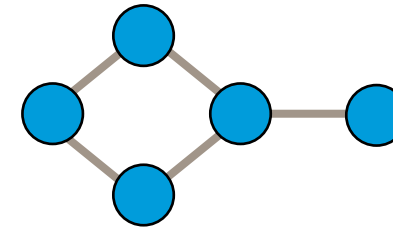
Degree

The number of connections



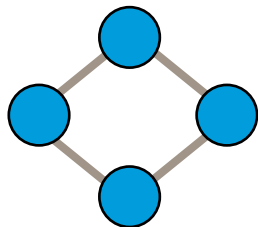
Betweenness Centrality

Percentage shortest paths going through it
Information flow



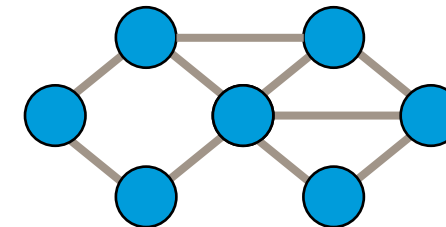
Geodesic to Itself

How closely/strongly related to itself



Number of Cycles

Can be used to uncover fraud rings



BIRANK

- Guilt-by-association algorithm for bipartite networks
- Incorporates fraud labels
 - Let information flow through network
 - Only set up for nodes of interest (claim/provider)

- Mathematically:

Aggregation of
neighbouring scores

$$c_i = \alpha \sum_{j=1}^{|P|} \frac{w_{ij}}{\sqrt{d_i d_j}} p_j + (1 - \alpha) c_i^0$$

Prior belief based
on fraud labels

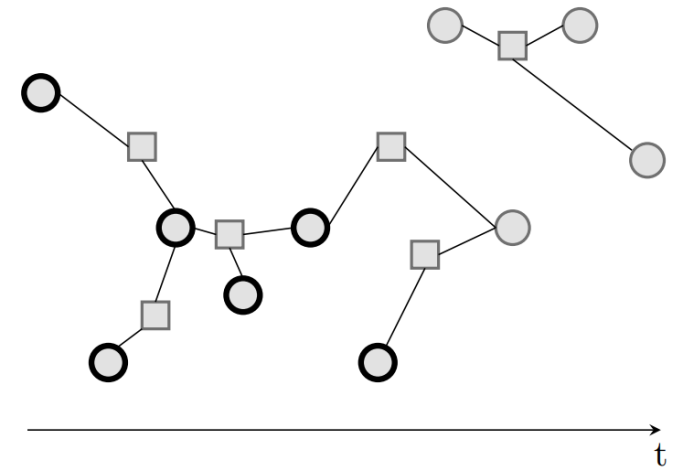
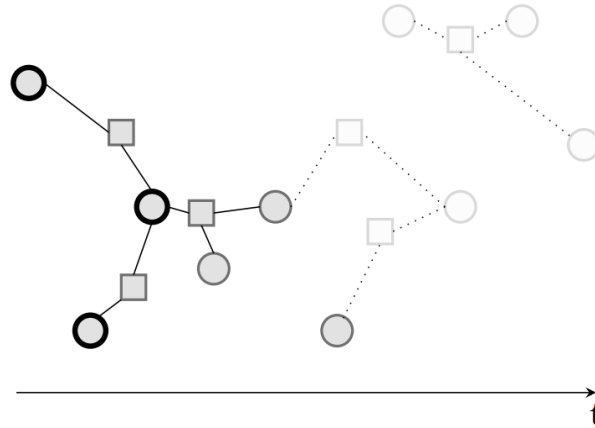
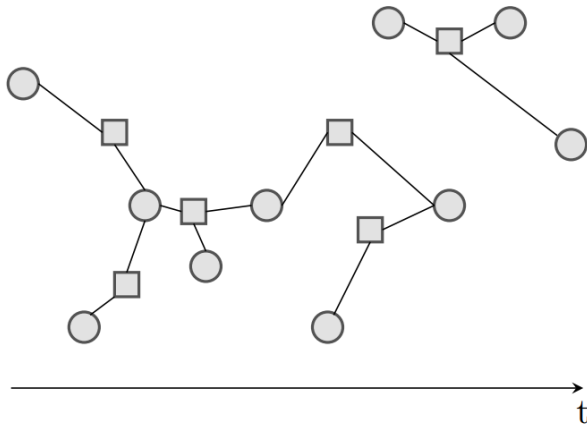
$$p_j = \sum_{i=1}^{|C|} \frac{w_{ij}}{\sqrt{d_i d_j}} c_i$$

BIRANK

- Iteration using matrix-vector multiplication

$$\mathbf{p} = S^T \mathbf{c}$$

$$\mathbf{c} = \alpha S \mathbf{p} + (1 + \alpha) \mathbf{c}^0$$
 - S is the rescaled adjacency matrix
- Important to avoid time-leakage
 - Only use labels up to a certain point



METAPATH2VEC

- Try to capture **neighbourhood** structure
- Does **not use fraud** data
- Takes meta-paths through network
 - We say what is allowed and what not
- Paths are seen as sentences, with nodes our vocabulary
 - Put into NLP to obtain the low-dimensional embedding
- Takes **heterogeneity** into account

GRAPHSAGE

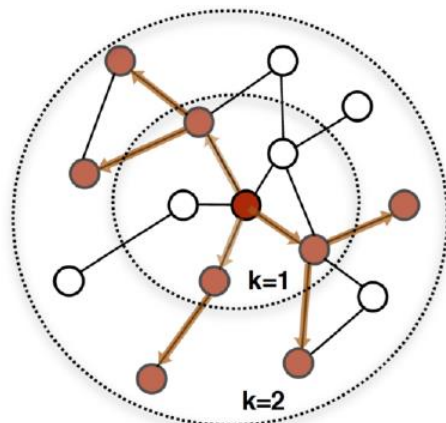
- Graph Neural Network
- Sample neighbours
- Aggregate from that sample
- Main Advantages
 - Inductive: generalisable to unseen nodes
 - Scalable: applicable on large graphs

GRAPHSAGE

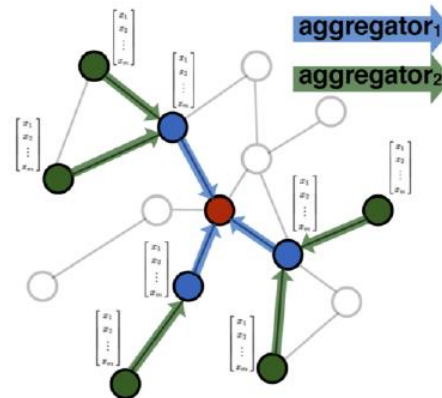
- Graph Neural Network

- $$h_{N(v)}^k = \text{AGGREGATE}(\{h_u^{k-1}, \forall u \in N(v)\})$$
- $$h_v^k = \sigma \left(W^k \cdot \text{CONCAT}(h_v^{k-1}, h_{N(v)}^k) \right)$$

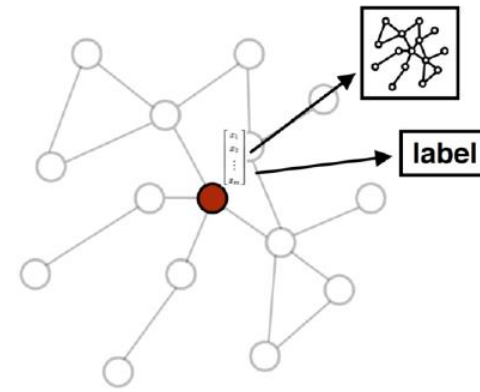
Non-linear
 Trainable weights
 activation function



1. Sample neighborhood



2. Aggregate feature information from neighbors



3. Predict graph context and label using aggregated information

THE DATA AND PERFORMANCE METRICS

03

DATA SETS

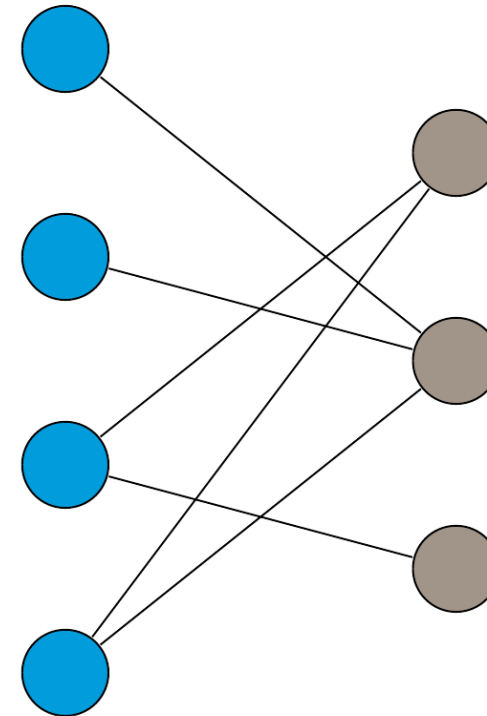
- 2 data sets
 - Real-world **motor insurance** data set from an insurance company active on the Belgian market
 - Open-source data set from Kaggle on **health care** providers
- The first is to have a feeling of the **performance at a company**
- The second is to enhance **reproducibility** and knowledge sharing

DATA SETS

- Labels are highly **imbalanced**
 - Motor insurance: 3% investigated and 0.3% overall fraud
 - Health care providers: 9.4% labelled fraud
- Motor insurance has intrinsic features
 - Used for the base-line model

CONSIDERATIONS FOR BIRANK

- Need for bipartite graph
- Nodes of interest = group 1
- All other nodes = group 2



CONSIDERATIONS FOR METAPATH2VEC

- Not allowing random walks
 - Change to wander to much without going through node of interest
- Define meta-paths
 - Motor
 - $\mathcal{P}_1$: claim $\rightarrow$ contract $\rightarrow$ claim
 - $\mathcal{P}_2$: claim $\rightarrow$ counterparty $\rightarrow$ claim
 - $\mathcal{P}_3$: claim $\rightarrow$ broker $\rightarrow$ claim
 - Health
 - $\mathcal{P}_1$: provider $\rightarrow$ claim $\rightarrow$ provider
 - $\mathcal{P}_2$: provider $\rightarrow$ claim $\rightarrow$ physician $\rightarrow$ claim $\rightarrow$ provider
 - $\mathcal{P}_3$: provider $\rightarrow$ claim $\rightarrow$ beneficiary $\rightarrow$ claim $\rightarrow$ provider

CONSIDERATIONS FOR GRAPHSAGE

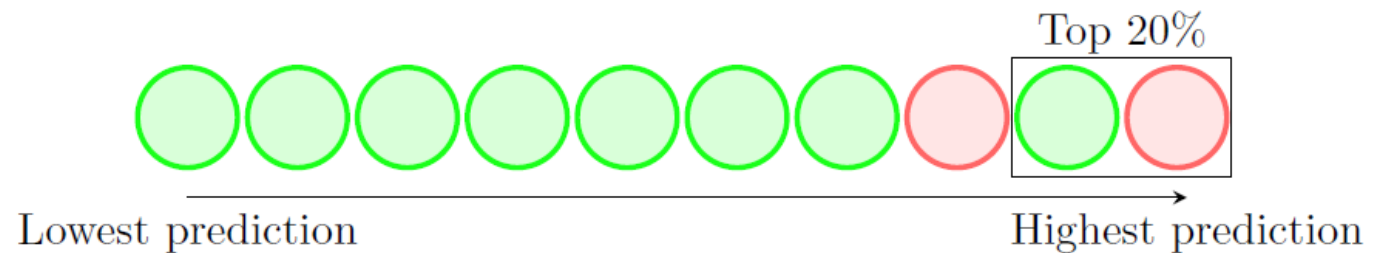
- No re-interpretation of the network
- Include feature data
 - Motor: claim-specific data available
 - Health: no data for providers, but data for patients and claims
- When no feature data, set feature equal to 1

PERFORMANCE METRIC

- Three key metrics
 - Area under the ROC curve
 - Area under the precision-recall curve (average precision)
 - Lift curve
- AUC is more widely known
- Average precision is preferred when dealing with (highly) skewed data
- Lift curve looks locally
 - Important when putting model in production

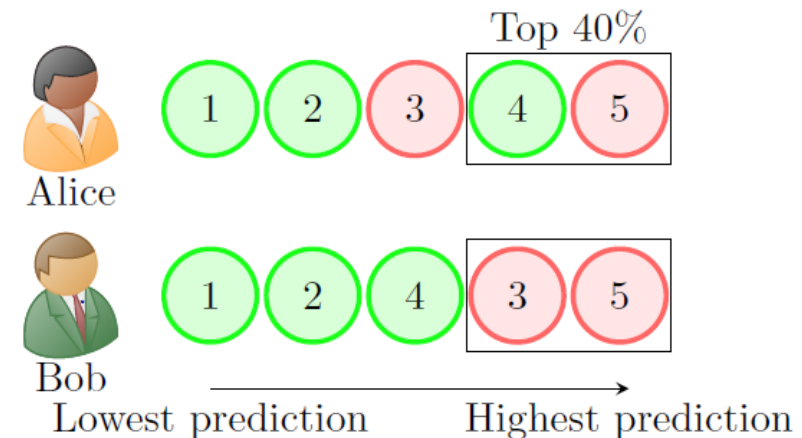
LIFT CURVE

- Looks locally
 - At different levels, calculate the lift
- See how much more **fraud** is prevalent in top percentiles
- When put in production, only resources to investigate small part
- Example:
 - Red is real fraud
 - Lift is $2.5 = \frac{0.5}{0.2}$



COMPLEMENATIRY

- Study **added value** of network features
 - Info not captured by intrinsic features
- Compare **true positive** between models
 - Do this at **different levels**
- Example:
 - Two models (red is real fraud)
 - Alice has 0% compl. to Bob
 - Bob has 50% compl. to Alice



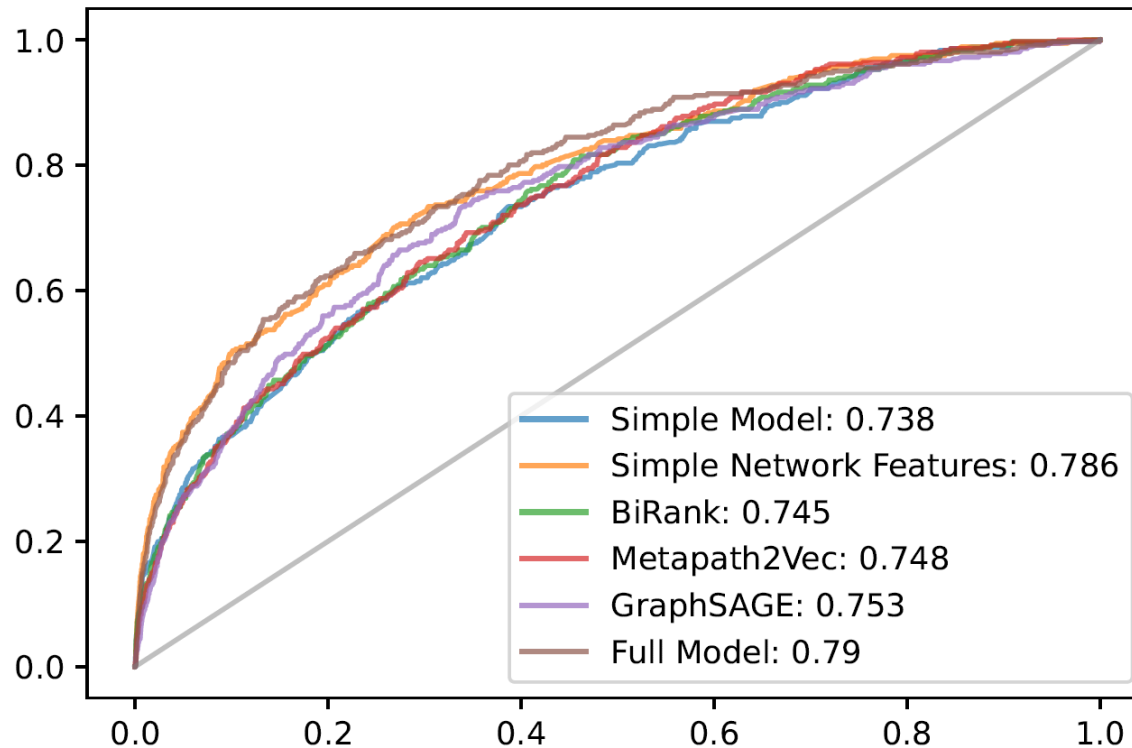
THE RESULTS

04

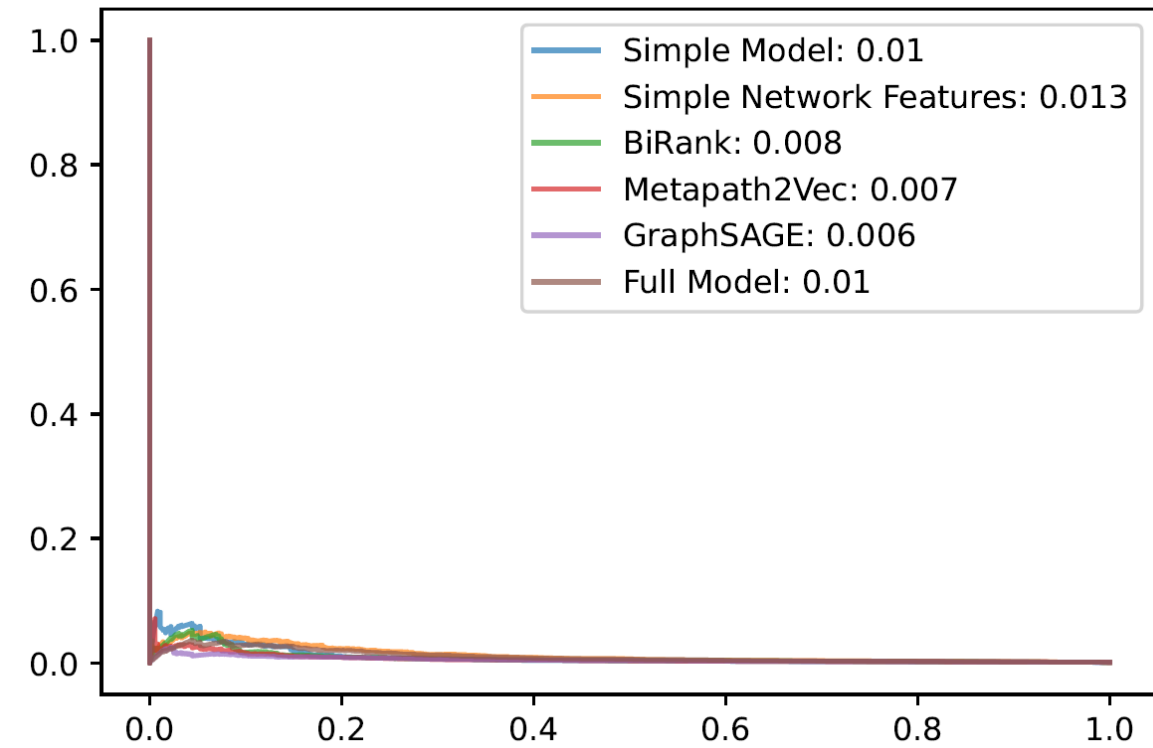
BELGIAN MOTOR INSURANCE DATA SET

- Simple model: only intrinsic features
- All network features are added on top of those

AUC

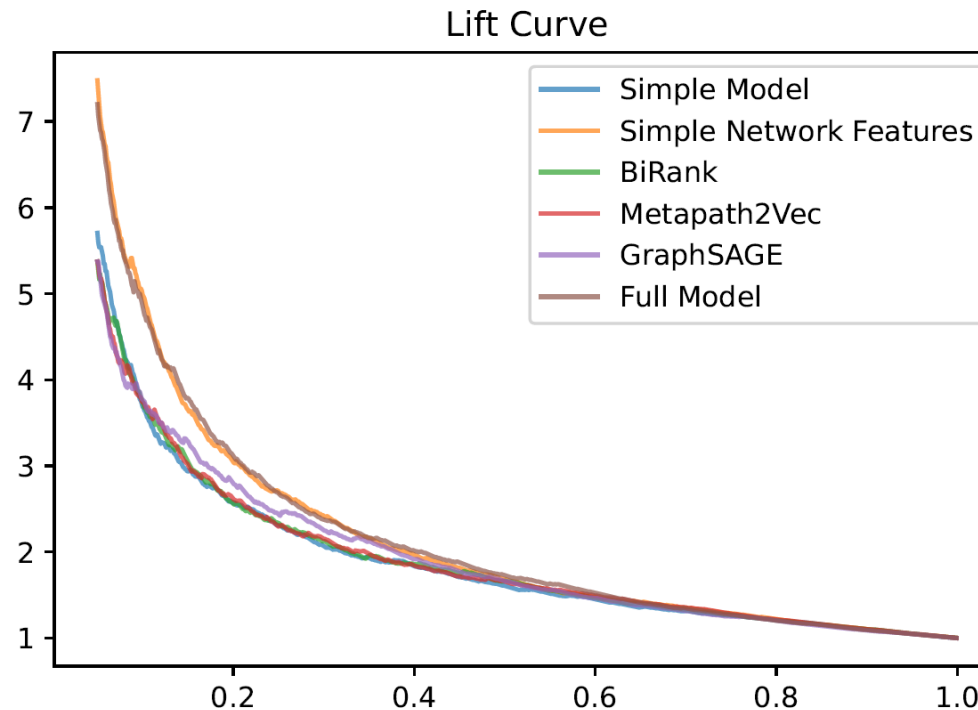


Average Precision



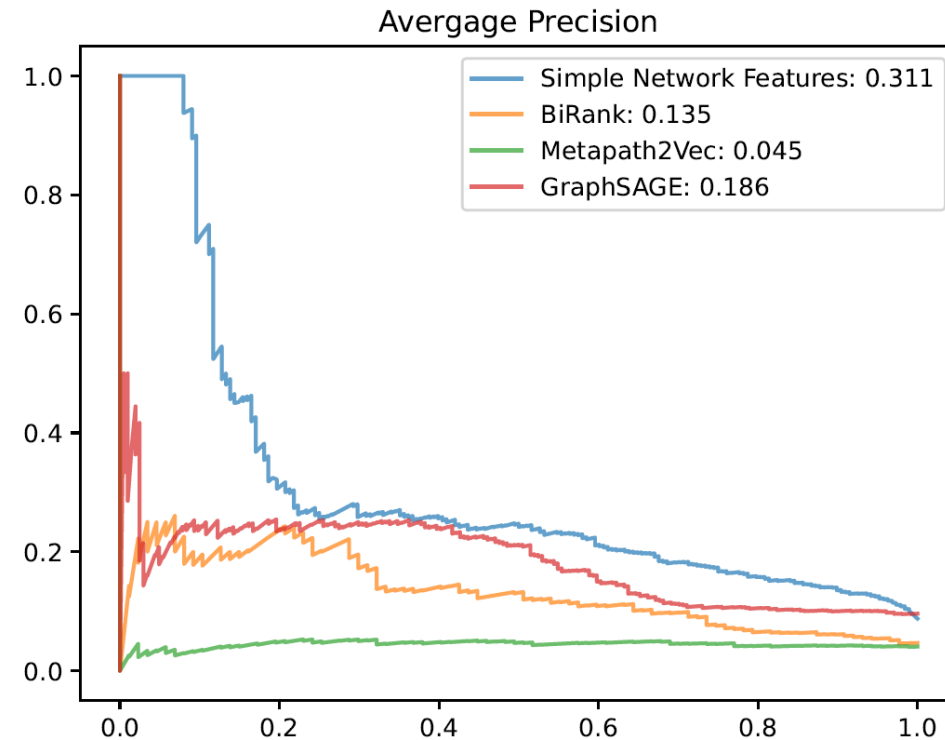
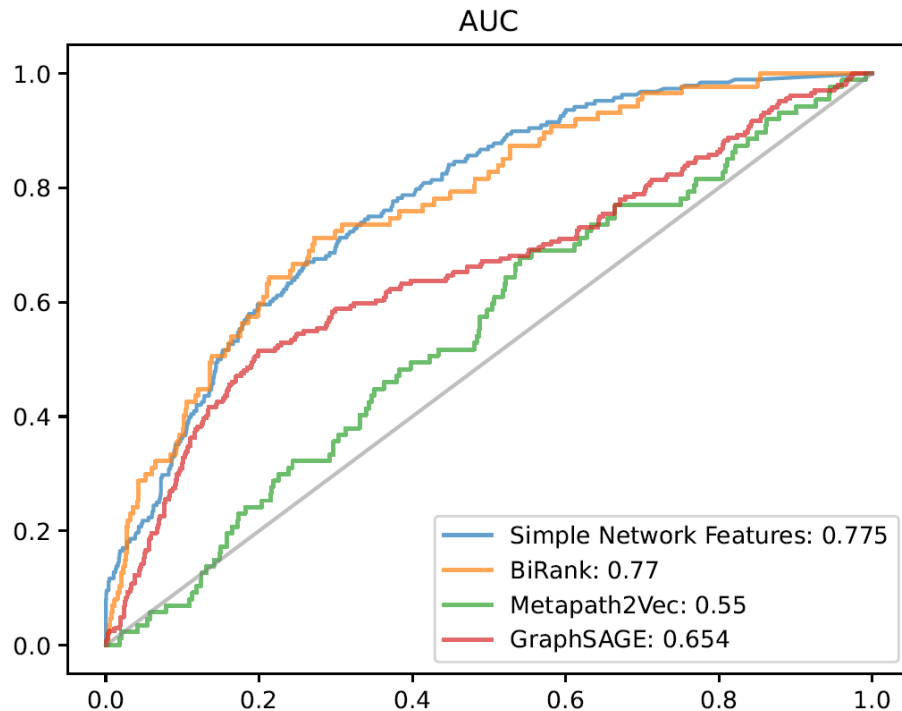
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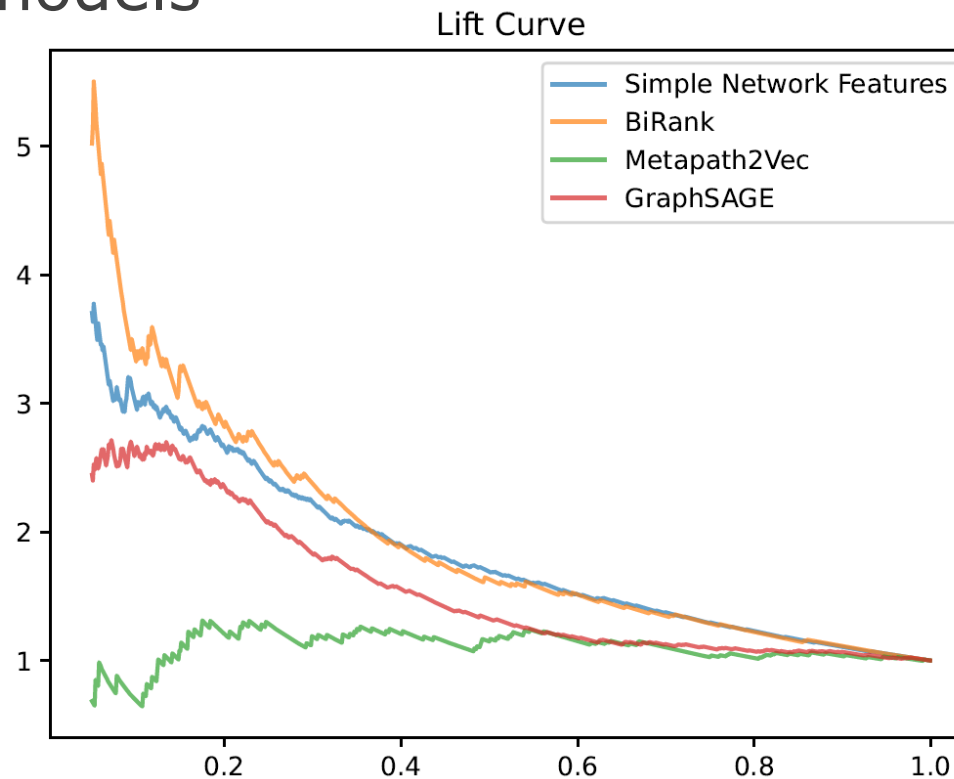
HEALTH CARE PROVIDER DATA SET

- No intrinsic features for health care providers
- Individual network models



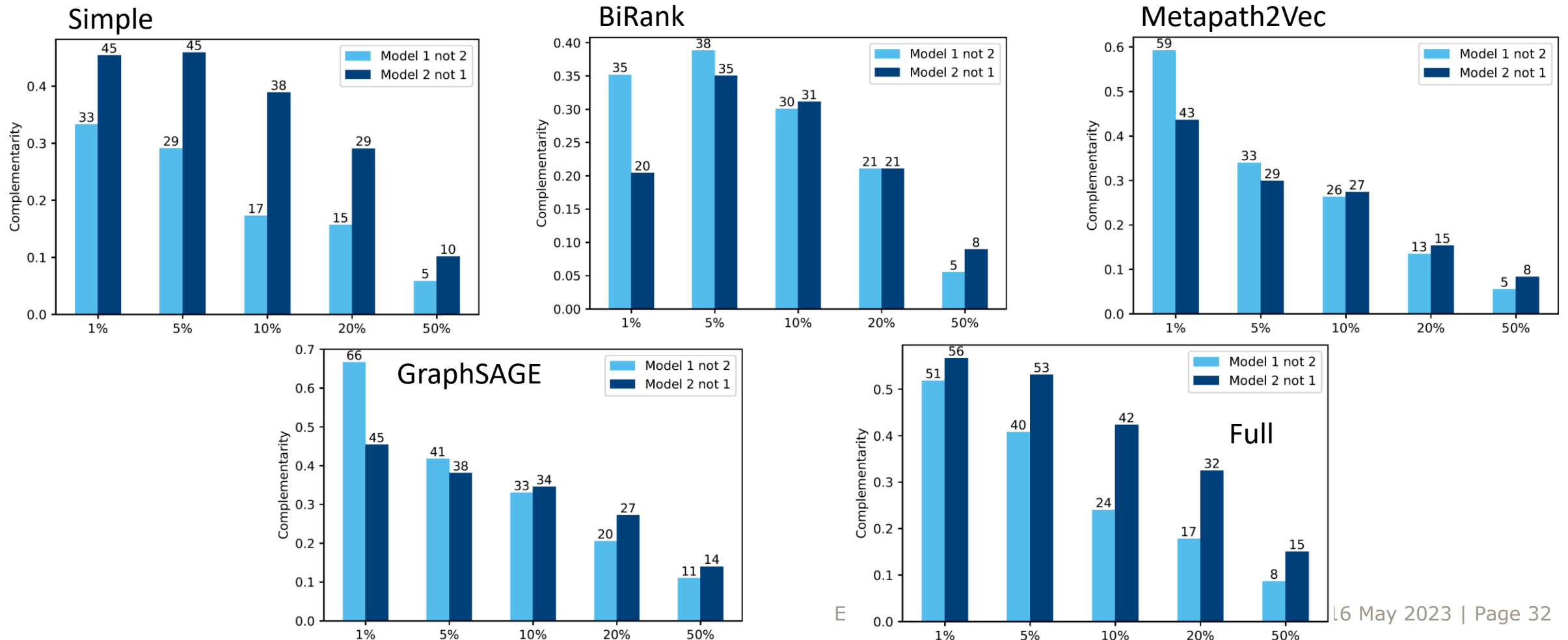
HEALTH CARE PROVIDER DATA SET

- No intrinsic features for health care providers
- Individual network models



COMPLEMENTARITY

- Only relevant for the motor insurance dataset



Conclusion

- Networks are a natural extension for fraud detection in insurance
- Vast variety of methods available
 - Guilt-by-association
 - Shallow learners
 - Graph Neural Networks
- Complex methods are not necessarily better methods
- Network features uncover novel fraud patterns

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- https://github.com/B-Deprez/NetworkFraud_BiRank_M2V_SAGE

Bruno has a master's degree in Mathematics and in Actuarial and Financial Engineering, both at KU Leuven.

During his studies, he worked as an actuarial consultant at KPMG Belgium for 2.5 years, serving larger and smaller insurance companies on the Belgian market.

He is currently pursuing a joint PhD in fraud detection at the Research Centre for Information Systems Engineering (LIRIS) at KU Leuven and at the Department of Mathematics at the University of Antwerp, in Belgium.

ABOUT ME



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Thank you very much for your attention

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